## Microlensing and Gaia Opportunity for a Black Hole search

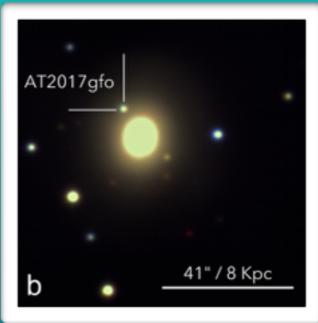
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Gaia Science Alerts Workshop, Vipava, 09.10.2018

### Dark remnants so far

- Around 30 in X-ray binaries
- Few known from GW signal detection
- Young, γ-emitting NSs
- Pulsars
- GW170817 neutron stars
- Cooled down, isolated NSs
- Stellar origin, isolated BHs

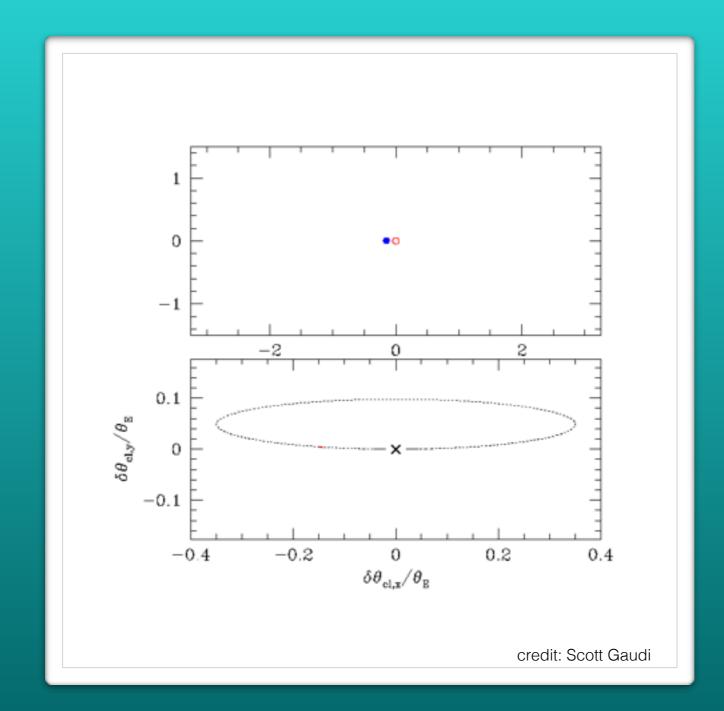




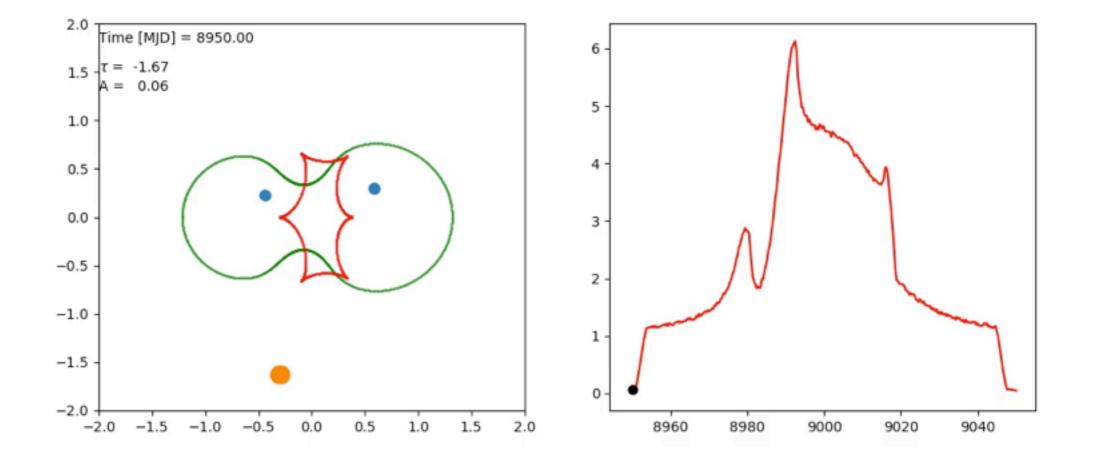




## Microlensing

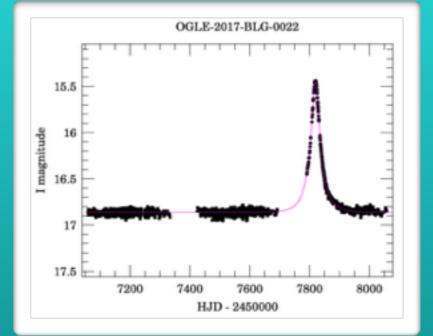


## Digression : binary lenses

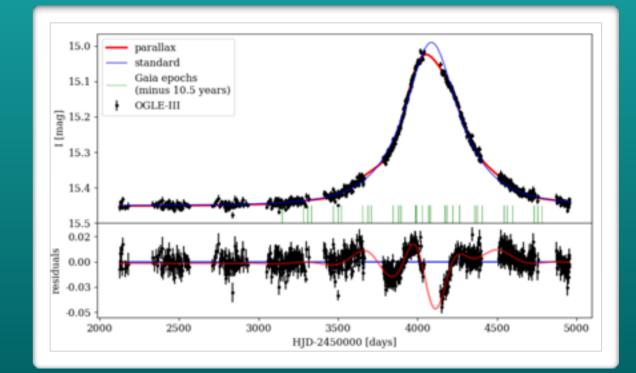


## What do we want from the microlensing?

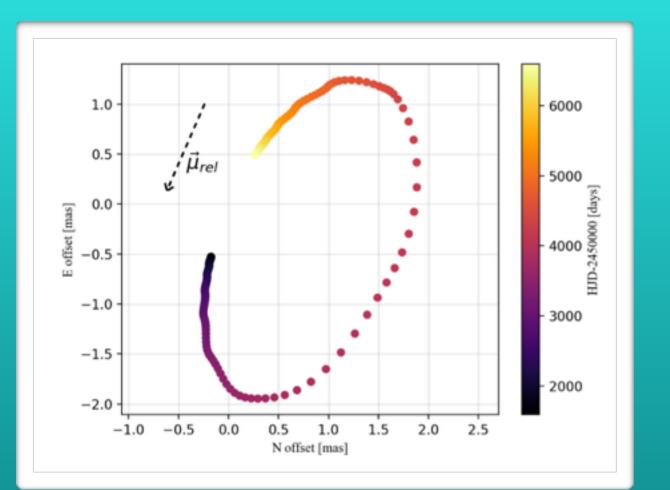
- The simple PSPL model:  $t_0$ ,  $u_0$ ,  $t_E$ ,  $I_0$ ,  $f_s = F_s/(F_s + F_{bl})$
- We know more if we measure microlensing parallax:  $\pi_E = (\pi_{EN}, \pi_{EE})$
- It is still not enough, but we want to utilise the mass formula



$$M = \frac{\theta_E}{\kappa \pi_E} = \frac{t_E \mu_{rel}}{\kappa \pi_E}$$



## Theta\_E



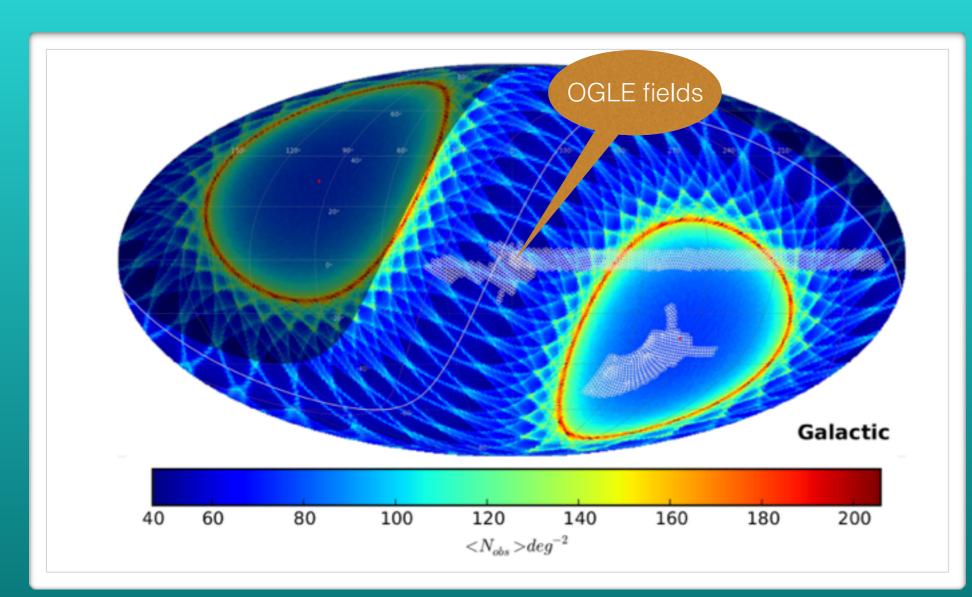
$$a=\frac{1}{2\sqrt{u_0^2+2}}\theta_E$$

$$b=\frac{u_0}{2(u_0^2+2)}\theta_E$$

Gaia astrometric time series ground based photometry/satellite

#### Dominik & Sahu 2000; Belokurov & Evans 2002

## Gaia not designed for that...



Pros

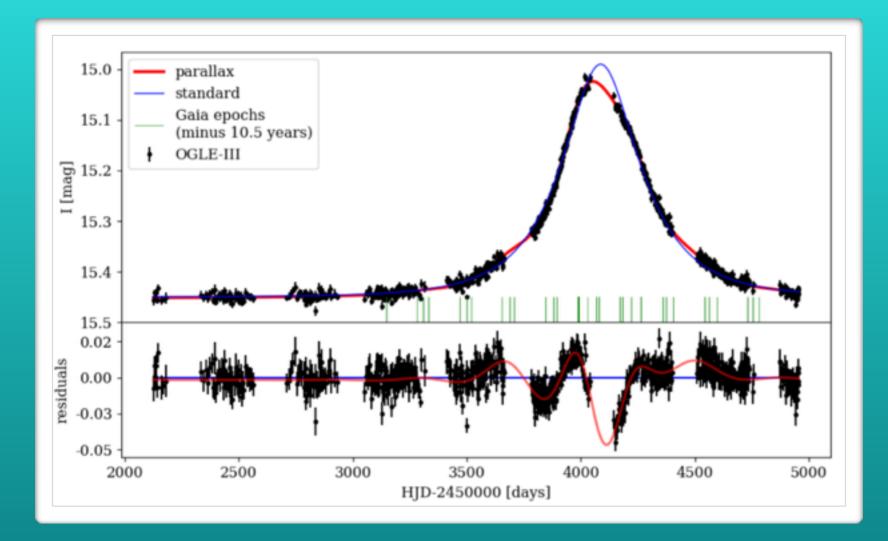
The most precise astrometry in the history

#### Cons

- Data not available yet
- 1D astrometry
- Dramatic decrease of accuracy with brightness
- Low cadence in Bulge

Gaia Collaboration et al. 2016

## OGLE-ULENS-PAR-02: photometry



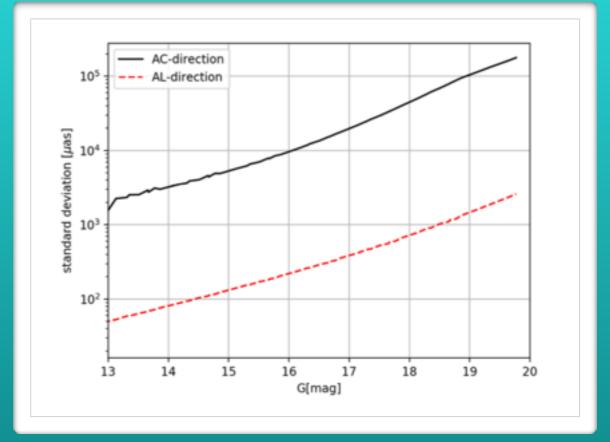
solution No. [–]	$t_0$ [days]	t <sub>E</sub> <sup>helio</sup> [days]	$\begin{bmatrix} u_0 \\ [ heta_E] \end{bmatrix}$	$\pi_{EN}$ [-]	$\pi_{EE}$ [-]	<i>fs</i> [-]	<i>I</i> 0 [ <i>mag</i> ]
1.	$4091.98\substack{+0.32\\-0.30}$	$254.50^{+10.80}_{-7.86}$	$-0.870\substack{+0.055\\-0.044}$	$0.0322\substack{+0.0012\\-0.0012}$	$-0.0742\substack{+0.0049\\-0.0041}$	$1.023\substack{+0.102\\-0.117}$	$15.4522\substack{+0.0006\\-0.0006}$
2.	$4090.72\substack{+0.26\\-0.28}$	$296.52^{+8.22}_{-7.42}$	$0.664^{+0.027}_{-0.027}$	$0.0293\substack{+0.0011\\-0.0010}$	$-0.0529\substack{+0.0026\\-0.0025}$	$0.635\substack{+0.042\\-0.042}$	$15.4529\substack{+0.0006\\-0.0006}$

Wyrzykowski et al. 2016, Rybicki et al. 2018

## Gaia data simulations

- Per epoch accuracies!
- $\sigma_{AC} >> \sigma_{AL}$
- AL from AFs and AC from SM

I-band [mag]	G-band [mag]	V-band [mag]	$\sigma_{AL}$ [mas]	$\sigma_{AC}$ [mas]
12	13.3	14.2	0.056	2.31
13	14.3	15.2	0.089	3.54
14	15.3	16.2	0.145	5.91
15	16.3	17.2	0.244	10.97
16	17.3	18.2	0.430	23.03
17	18.3	19.2	0.818	52.84



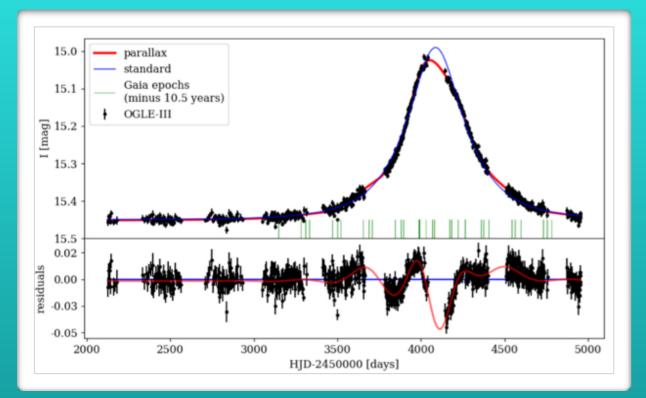
Adopted per transit astrometry:

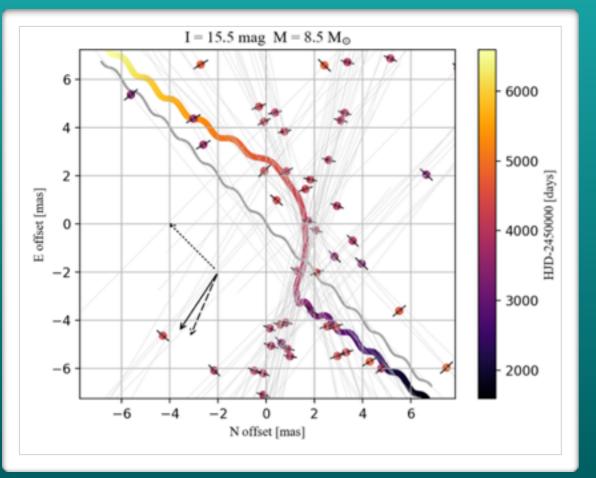
On-CCD centroiding errors estimated by Jos de Bruine

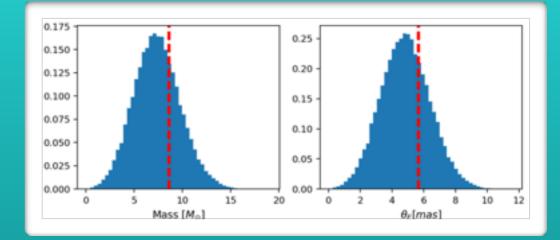
 $\sigma_{\rm AL}$  =  $\sigma_{\rm ctrAF}$  / 2

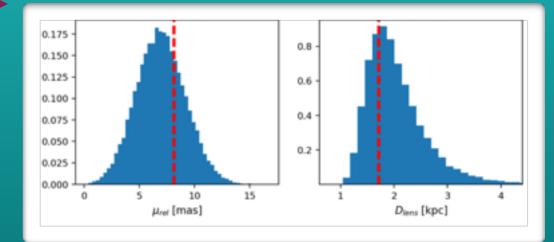
$$\sigma_{\rm AC} = 2 * \sigma_{\rm ctrSM}$$

## Fitting joined model



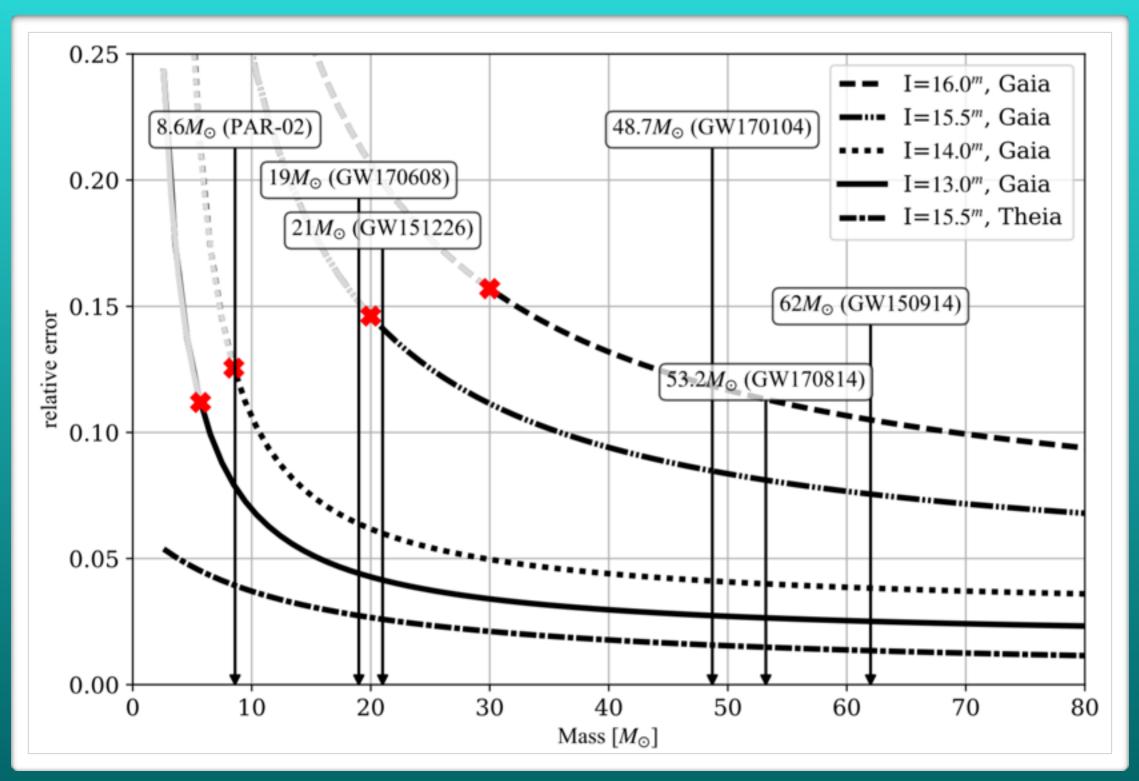






#### It can be done, but...

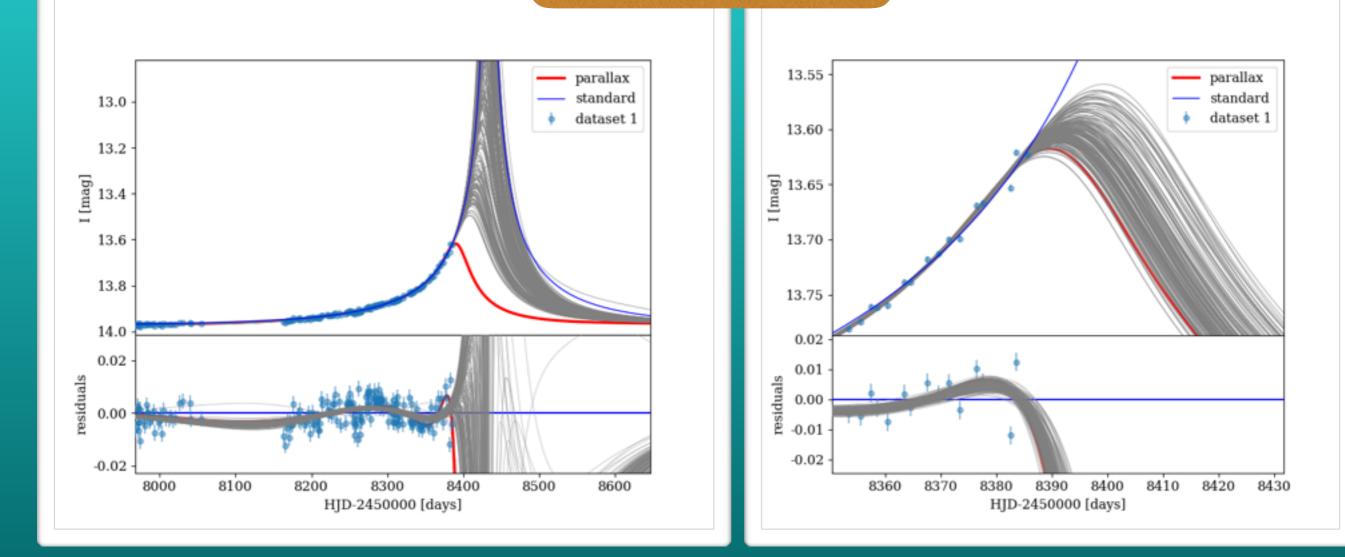
## Extension to other cases



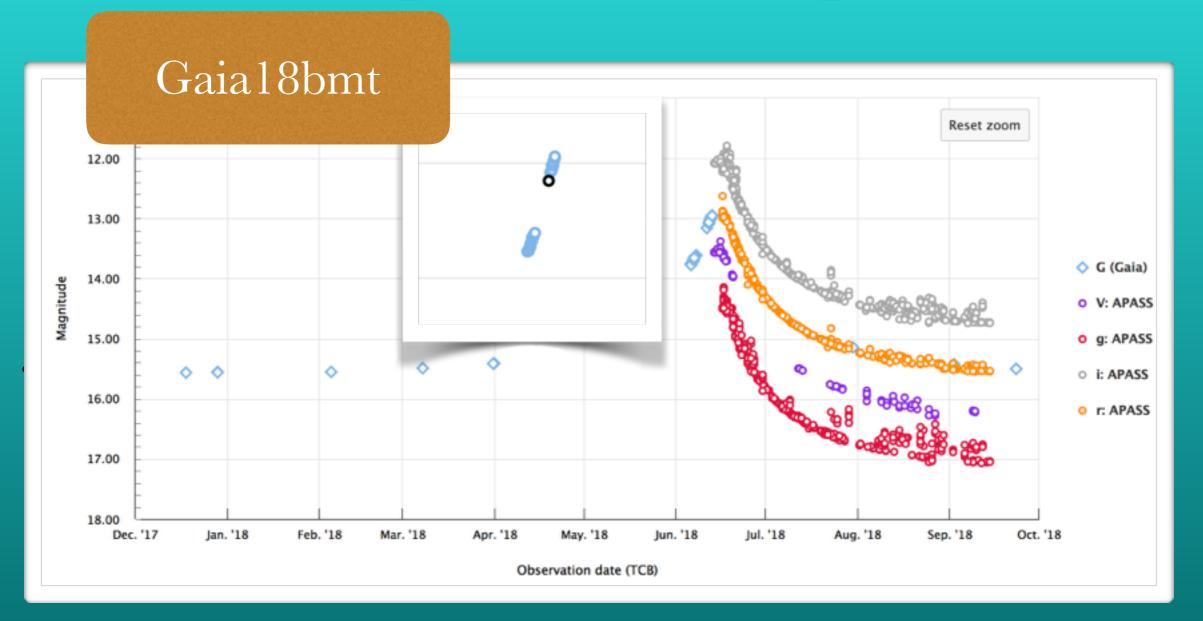
Rybicki et al. 2018

## Importance of continuous follow-up

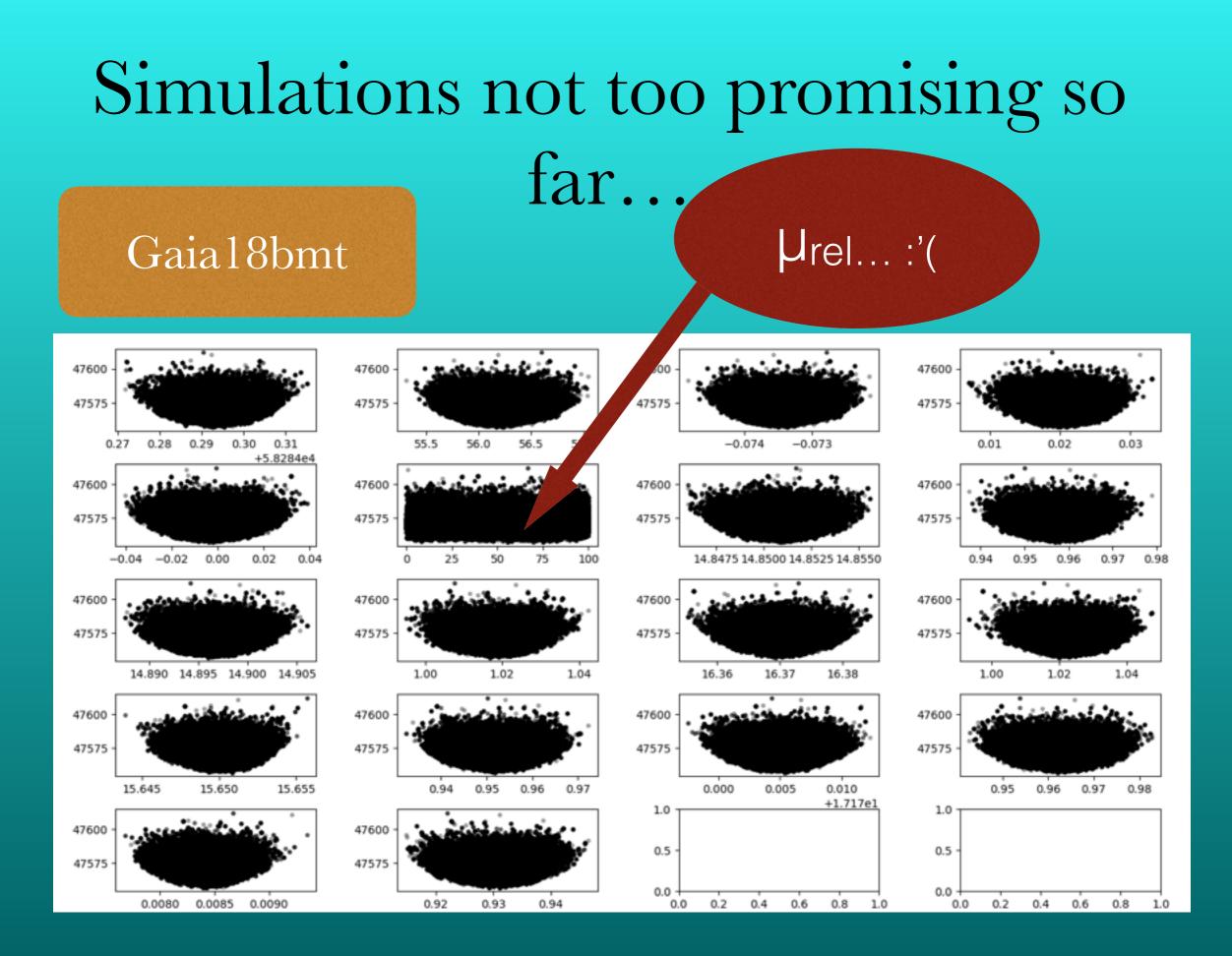
#### Gaia18ces



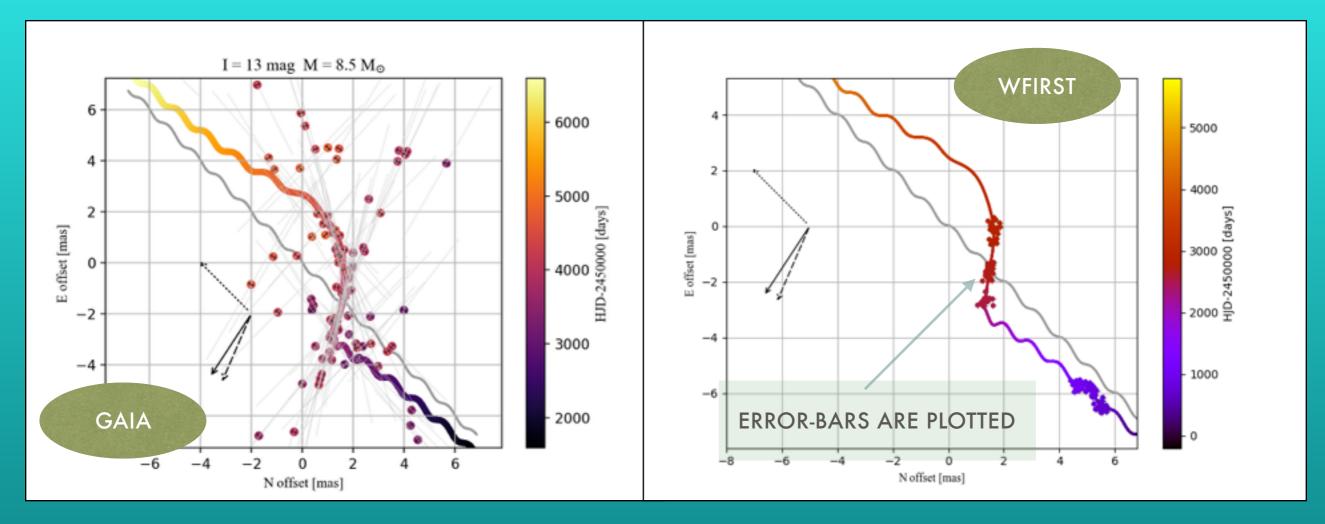
# Importance of continuous (and rapid!) follow-up



Relatively long + low parallax signal + no blending = BH???



#### WFIRST compared to the expected performance of Gaia



• Gaia not designed to accurately cover transients, especially astrometric ones

WHY IS WFIRST SO MUCH BETTER?

- Gaia provides good accuracy only along the scan direction
- Cadence: 15min vs >30days
- Main problem for Gaia: precision drops dramatically with brightness

## Conclusions

It may be possible to detect BHs by simultaneous observation of the microlensing event in Gaia and from the ground

Brightness of the source is a crucial thing as Gaia astrometric accuracy drops significantly for faint targets

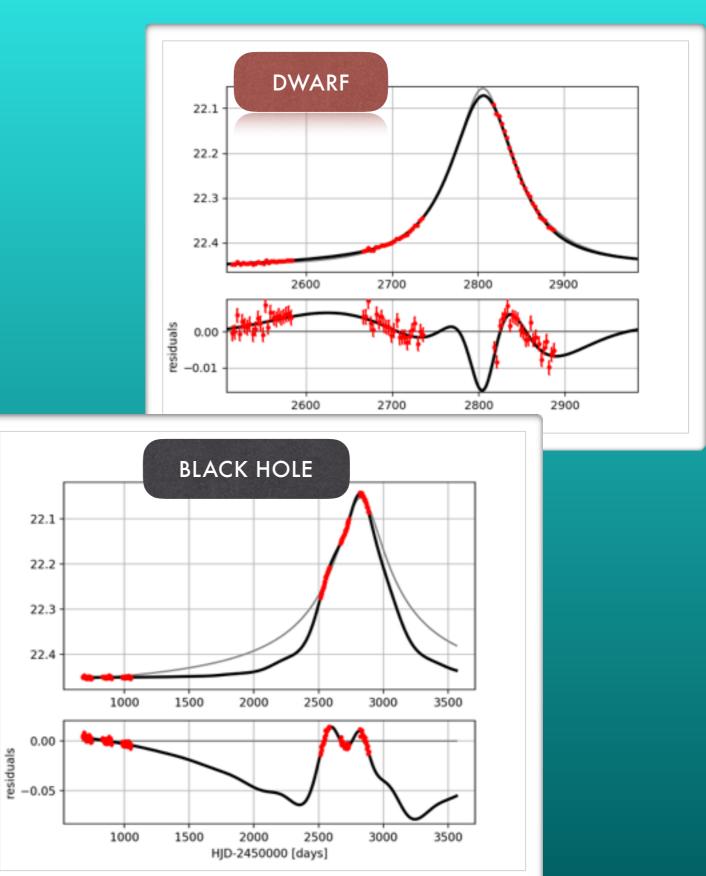
Basing on crude rates estimates, we expect few BHs to be observed by Gaia and possible to identify, <u>if followed-up</u> <u>sufficiently from the ground</u>

WFIRST (~2025?) is very promising in the context of astrometric microlensing

## Extra slides

## WFIRST data simulations

- centroiding error estimation for crowded regions
- 15 minute cadence adopted
- 3 seasons of observation at the beginning and the end of the 6-year mission
- each season 72-days long
- gaussian errors assumed
- averaging over 3 days to see preliminary results



### Motion curves simulations

